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						Discrete Random Variables (Optional). Summary and Historical Review.														
						5. Relations and Functions.														
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					0	Further Applications: Don't-Care Conditions.														
						The Structure of a Boolean Algebra (Optional).														
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	1					16. Groups, Coding Theory, and Polya's Theory of Enumeration. Definition, Examples, and Elementary Properties.														
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